

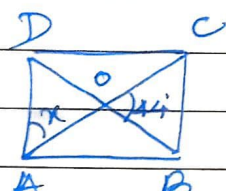
Class 8 Revision Solution.

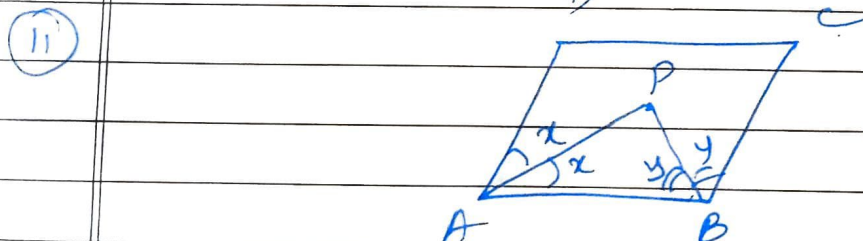
(1) (a) 48 (2) (a) $10(y-8)+y$ (3) (c) both (i) & (ii)

(4) (c) both (i) & (ii) (5) $x = 360^\circ - (87^\circ + 94^\circ + 122^\circ)$
 $x = 57^\circ$ (c)

(6) (c) $2n-4$ (7) (c) $\frac{n(n-3)}{2}$

(8) (c) $\frac{4x+8}{5x+8} = \frac{5}{6}$ (9) (b) Rhombus

(10)  $\therefore \triangle AOD$ is isosceles
 $x + x + 44^\circ = 180^\circ$
 $x = 68^\circ$



Given AP & BP are bisectors of $\angle A$ & $\angle B$

$\therefore \angle BAP = \frac{1}{2} \angle BAD$

$\angle PBA = \frac{1}{2} \angle ABC$

$\therefore \angle 2x + \angle 2y = 180^\circ$ (Adjacent angles are supplementary)

$\therefore x + y = 90^\circ$ (1)

From $\triangle APB \Rightarrow \angle APB + \angle PAB + \angle PBA = 180^\circ$

$\angle APB + x + y = 180^\circ$ [Substn]
 $\angle APB = 90^\circ$ (1)

(12) (a) Rhombus is a parallelogram

- Opposite sides are parallel & equal
- Adjacent angles are supplementary

(b) Square is a special Rhombus

- All angles are 90°

13 Let the interior angle $= x$.

$$\text{Exterior angle} = \frac{1}{3}x. \quad \text{--- (1)}$$

$$\text{no. of sides} \times \text{each exterior angle} = 360^\circ$$

$$\text{Each exterior angle} = \frac{360^\circ}{n}$$

$$\text{Each interior angle} = \frac{2n-4}{n} \times 90^\circ$$

$$\text{Given } \text{--- (1)} \Rightarrow \frac{360}{n} = \frac{1}{3} \left(\frac{2n-4}{n} \times 90 \right)$$

$$\text{Simplify } n=8$$

(14) Sum of the interior angles of a pentagon $= 540^\circ$

$$x + 2x + 140^\circ + 33^\circ + x + 75^\circ = 540^\circ$$

Simplify

$$x = 73^\circ$$

$$(15) \quad \frac{3a-2}{3} + \frac{2a+3}{2} = a + \frac{7}{6}$$

$$\frac{6a-4+6a+9}{6} = \frac{6a+7}{6}$$

$$12a+5 = 6a+7$$

Simplify $\therefore a = \frac{1}{2}$

(16) Let the no of Rs 10 note = x
 $\therefore$ no of Rs 20 note = $50-x$.

$$10 \times x + 20(50-x) = 800$$

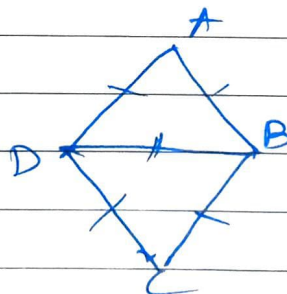
$$10x + 1000 - 20x = 800$$

$$-10x = -200$$

$$x = 20$$

$\therefore$ There are 20 notes of Rs 10, &
 30 notes of Rs 20

(18) Given $AB = BD$
 Consider $\triangle ABD$ &
 $\triangle BCD$ they
 are equilateral $\triangle$



$$\therefore \angle ABD + \angle CBD = 120^\circ$$

$$\therefore \angle CDA = 120^\circ$$

$$\angle BAD = 60^\circ = \angle BCD$$